

Figure 1: Trajectories on the  $(n, M^2)$  planes for the states with (C = -). Open circles stand for the predicted states.



Figure 2: Trajectories on the  $(n, M^2)$  planes for the states with (C = +).



Figure 3:  $(J, M^2)$  planes for leading and daughter trajectories: a)  $\pi$ -trajectories, b)  $a_1$ -trajectories, c)  $\rho$ -trajectories, d)  $a_2$ -trajectories, e)  $\eta$ -trajectories, f) P'-trajectories.



Figure 4: Complex M plane in the  $(IJ^{PC} = 00^{++})$  sector. Dashed line encircle the part of the plane where the K-matrix analysis [8] reconstructs the analytic K-matrix amplitude: in this area the poles corresponding to resonances  $f_0(980)$ ,  $f_0(1300)$ ,  $f_0(1500)$ ,  $f_0(1750)$  and the broad state  $f_0(1200 - 1600)$  are located. On the border of this area the light  $\sigma$ -meson denoted as  $f_0(450)$  is shown (the position of pole corresponds to that found in the N/D method [31]). Beyond the K-matrix analysis area, there are resonances  $f_0(2030)$ ,  $f_0(2100)$ ,  $f_0(2340)$  [6].



Figure 5: Complex *M* plane: trajectories of poles corresponding to the states  $f_0(980)$ ,  $f_0(1300)$ ,  $f_0(1500)$ ,  $f_0(1750)$ ,  $f_0(1200 - 1600)$  within a uniform onset of the decay channels.



Figure 6: The evolution of normalized coupling constants  $\gamma_a = g_a / \sqrt{\sum_b g_b^2}$  at the onset of the decay channels for  $f_0(980)$ ,  $f_0(1300)$ ,  $f_0(1500)$ ,  $f_0(1750)$ . Curves demonstrate the description of constants by formula (38).



Figure 7: (a,b) Examples of planar diagrams responsible for the decay of the  $q\bar{q}$ -state and gluonium into two  $q\bar{q}$ -mesons (leading terms in the 1/N expansion).



Figure 8: Correlation curves on the  $(\varphi, G/g)$  and  $(\varphi, g/G)$  plots for the description of the decay couplings of resonances (Table 4) in terms of quark-combinatorics relations (38). a,c) Correlation curves for the  $q\bar{q}$ -originated resonances: the curves with appropriate  $\lambda$ 's cover strips on the  $(\varphi, G/g)$  plane. b,d) Correlation curves for the glueball descendant: the curves at appropriate  $\lambda$ 's form a cross on the  $(\varphi, g/G)$  plane with the center near  $\varphi \sim 30^{\circ}$ ,  $g/G \sim 0$ .



Figure 9: Linear trajectories on the  $(n, M^2)$  plane for scalar resonances (a) and bare scalar states (b). Open circles correspond to the predicted states.



Figure 10: The  $(J^P, M^2)$  planes for kaonic sector (open circles stand for the predicted states).



Figure 11: a) Quark-gluonic comb produced by breaking a string by quarks flowing out in the process  $e^+e^- \rightarrow \gamma^* \rightarrow q\bar{q} \rightarrow mesons$ . b) Convolution of the quark-gluonic combs — an example of diagrams describing interaction forces in the  $q\bar{q}$  systems at  $r \sim 2.0$  fm.