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## Исследование нейтроно-дефицитных изотопов висмута методом спектроскопии в лазерном ионном источнике (ИРИС, ISOLDE)

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### Laser spectroscopy in nuclear physics

High-resolution laser spectroscopy is been established as a powerful tool in the study of nuclear shape, size and nuclear moments.

Deduced nuclear parameters are:

- $\checkmark$  changes in the mean-square charge radius  $\partial \langle \mathbf{r}^2 \rangle$
- $\checkmark$  electric quadrupole moment  $Q_s$
- ✓ nuclear spin I
- ✓ magnetic dipole moment µ



### Nuclear charge radius and Nuclear deformation

$$\langle r^2 \rangle = \frac{\int_0^\infty \rho(\vec{r}) r^2 d^3 r}{\int_0^\infty \rho(\vec{r}) d^3 r} \text{ mean-square nuclear charge radius (mscr)}$$

 $\langle r^2 \rangle \approx \langle r^2 \rangle_0 \left( 1 + \frac{5}{4\pi} \langle \beta_2^2 \rangle \right)$ 

 $\langle r^2 \rangle_0$  - *mscr* of a spherical nucleus of identical volume  $\langle \beta_2 \rangle$  - quadrupole deformation parameter  $\delta < r^2 > A, A'$  - the change in *mscr* between the two isotopes

Influence of the nuclear deformation on changing of charge radii:

$$\delta \langle r^2 \rangle^{A,A'} = \delta \langle r^2 \rangle_0^{A,A'} + \langle r^2 \rangle_0 \cdot \frac{5}{4\pi} \delta \langle \beta_2^2 \rangle^{A,A'}$$

 $\delta \langle r^2 \rangle$  is very sensitive to changes in the nuclear shape

Addition of a neutron at A  $\sim$ 100:

- ✓ spherical nuclear shape  $\langle \beta_2^2 \rangle = 0.0$ ✓ deformed nuclear shape  $\langle \beta_2^2 \rangle = 0.1$   $\longrightarrow$   $\delta \langle r^2 \rangle \sim 0.07 \text{ fm}^2$  $\delta \langle r^2 \rangle \sim 0.74 \text{ fm}^2$
- $\checkmark$  deformed nuclear shape  $\langle \beta_2^2 \rangle = 0.1$

Main isotopic trend of *mscr* is described by the Droplet Model. Deviations from the DM trend are attributed to the advance of the mean-square quadrupole deformation

Spherical shape:  $\langle \beta_2 \rangle = 0$ Prolate  $\langle \beta_2 \rangle > 0$ Oblate deformed shape:  $\langle \beta_2 \rangle < 0$ 

deformed shape:

## Pioneering experiments in Pb-region (Z = 82)

The shape and the size of a nucleus are among its most fundamental properties. Usually, isotopic dependence of nuclear radii is smooth, however, at the certain neutron numbers there are marked irregularities.

Isotope shift (IS) measurements in the lead region of  $^{177-186}$ Hg (Z = 80) near the neutron mid-shell at N = 104



J. Bonn, G. Huber, H.-J. Kluge, L. Kugler, and E. Otten, Phys. Lett. B **38**, 308 (1972).

This phenomenon was characterized as

"one of the most remarkable discoveries in nuclear structure physics in the last 50 years".

K. Heyde and J. L. Wood, Phys. Scripta 91, 083008 (2016)

## Motivation for the optical spectroscopy in Pb-region

#### Interpretation:

Sharp changes between nearly spherical shapes in the even-A cases and strongly-prolate deformed configurations in the odd-A isotopes

#### Assumption:

The neutron-deficient isotopes near Z = 82 (Pb-region) exhibit the richest manifestation of shape evolution and shape coexistence phenomena

#### Experimental tasks:

- $\checkmark$  to extend of mercury measurements down to <sup>180</sup>Hg and beyond
- ✓ to investigate the ground and isomeric states shapes for different elements in Pb-region

### Experimental challenge

The center of Pb-region lies far from stability:

- $\checkmark$  low production cross sections
- $\checkmark$  overwhelming production of isobaric contaminants
- ✓ very short half lives of most nuclei of interest

### Conclusion

For experimental investigations in Pb-region should be used the most extreme methods ever developed for far-from-stability nuclear structure study

#### Solution

✓ Measurements at ISOL facilities (ISOL = Isotope Separator On-Line)

- large production yield rates from the thick targets
- ionization enhancement in laser ion source (LIS)
- isobaric selectivity in LIS what is crucial for far-from-stability studies
- $\checkmark$  Using of the optical spectroscopy techniques as very sensitive tool

# Nuclear shape staggering



"The extension of these measurements down to <sup>180</sup>Hg might be made feasible by improving experimental details. It could thus be determined whether the shape staggering extends further, and where the nuclear shape becomes stabilized finally".

J. Bonn, G. Huber, H.-J. Kluge, L. Kugler, and E. Otten, Phys. Lett. 38B, 308 (1972)

## Ion beam production at ISOL facilities

#### ISOL technique step-by-step:

- Production of the radioactive isotopes in target
- Ionization in hot cavity
- ✓ Extraction from

the target-ion source system

- ✓ Mass separation
- Transport to experimental setups





Benefits	Drawbacks
large production yield rates from the thick targets	slow release of the some radioactive products from the target matrix, some elements are irreversibly trapped
efficient surface ionization (for alcali), efficient laser ionization (for volatile)	surface ionization of isobaric contaminants => limited purity of RIB

### Laser ion source: ionization efficiency

#### Ionization in a hot cavity:

The hot cavity concept has been developed with the goal of increasing the ionization efficiency of atoms moving in a vacuum through pulsed laser beams. The geometry of the cavity provides confinement of atoms

within the laser beam during the time interval between consecutive laser pulses while the hot environment prevents atoms from absorption on the cavity internal walls.

Due to its high efficiency (usually ~10%) Laser Ion Source is very appropriate at ISOL facilities for:

- $\checkmark$  radioactive ion beam production
- atomic and nuclear spectroscopy of rare isotopes produced in very small quantities (less than 1 ion/s)

### Schematic drawing of the hot cavity LIS



1 - ionization cavity; 2 - target; 3 - laser beams;4 - extractor; 5 - ion beam

## Experimental alpha-spectra collected in "laser-on" and "laser-off" regimes



### Laser ion source: selectivity



RITU: M.B. Smith et al., J. Phys. G. 26, 787 (2000)

## Method of resonance laser ionization



### Isotope shift (IS), hyperfine structure (HFS) measurements:

By scanning the narrow-band laser frequency over the resonance, together with simultaneous counting of the mass-separated photo-ions, the **isotope shifts** and **hyperfine structure** of the atomic spectral lines can be measured

### Scheme of IRIS Laser Installation

### **IRIS Laser Installation**





Spectral range: 530 – 850 nm, after doubling: 265 – 850 nm

## Charge radii in the lead region (2003)



## IRIS, Bi: radii



### Windmill-ISOLTRAP-RILIS collaboration at ISOLDE (CERN)



IS 456, 466, 511, 534, 598, 608: Laser spectroscopy: shape evolution and shape-coexistence studies with radioactive <sub>79</sub>Au, <sub>80</sub>Hg, <sub>81</sub>Tl, <sub>82</sub>Pb, <sub>83</sub>Bi, <sub>84</sub>Po, <sub>85</sub>At beams

A collaboration of ~40 atomic and nuclear physicists
15 institutions



### IS608 Shape-coexistence and shape-evolution studies for bismuth isotopes by in-source laser spectroscopy and beta-delayed fission in <sup>188</sup>Bi

### IS608 laser spectroscopy goals:

1) Onset of deformation investigation

by re-measuring a somewhat uncertain data for <sup>189</sup>Bi from IRIS and measuring <sup>187</sup>Bi (N=104), for which this effect is expected to be maximized;

- 2) Investigation of the strong odd-even staggering to at least <sup>187,188</sup>Bi;
- 3) Extension of the isomer shift measurements both for the heavier <sup>199,201,203</sup>Bi and lighter <sup>189,191</sup>Bi isotopes;
- 4) Investigation of an inverse odd-even staggering in charge radii on the neutron-rich side for <sup>214-218</sup>Bi.





## ISOLDE RILIS laser system







### Positions of the hfs components on the spectrum



 $v_{F,F'} = v_0 + \Delta v_{F'} - \Delta v_F$ 

 $v_0$  - the position of the center of gravity of the hfs, the prime symbol denotes the upper level of the transition

hyperfine structures for the states with nuclear spins I = 1/2 and I = 9/2typical for neutron deficient Bi isotopes Continuum IP = 7.2855 eV $\lambda_3 = 532 \text{ nm} (\text{Nd}: \text{YVO}_4)$ 6p<sup>2</sup>(<sup>3</sup>P<sub>0</sub>)8p <sup>2</sup>[1]<sup>o</sup><sub>3/2</sub> Hyperfine splitting 2  $\mathbf{F} = \mathbf{I} + \mathbf{J}$  $\lambda_2 = 555.21 \text{ nm}$  $I^{\pi} = 9/2^{-}$  $I^{\pi} = 1/2^+$ 6p<sup>2</sup>(<sup>3</sup>P<sub>0</sub>)7s <sup>2</sup>[0]<sub>1/2</sub>  $\lambda_1 = 306.77 \text{ nm}$ F'=025 GHz 6p3 4S3/2 F = 2Ground state 6 6.5 GHz

$$\begin{split} \Delta \boldsymbol{\nu}_{F} &= a \cdot \frac{K}{2} + b \cdot \frac{0.75 \cdot K \cdot (K+1) - I \cdot (I+1) \cdot J \cdot (J+1)}{2 \cdot (2I-1) \cdot (2J-1) \cdot I \cdot J} \\ K &= F \cdot (F+1) - I \cdot (I+1) - J \cdot (J+1) \\ \vec{F} &= \vec{I} + \vec{J}, \quad F = \mid I - J \mid, \mid I - J \mid +1, \dots, I + J \\ a &\propto \mu, \quad b \propto Q \end{split}$$

### IS608: Data analysis

$$\begin{split} \mathcal{V}_{F,F'} &= \mathcal{V}_0 + \Delta \mathcal{V}_{F'} - \Delta \mathcal{V}_F \\ \Delta \mathcal{V}_F &= a \cdot \frac{K}{2} + b \cdot \frac{0.75 \cdot K \cdot (K+1) - I \cdot (I+1) \cdot J \cdot (J+1)}{2 \cdot (2I-1) \cdot (2J-1) \cdot I \cdot J} \\ K &= F \cdot (F+1) - I \cdot (I+1) - J \cdot (J+1) \\ \vec{F} &= \vec{I} + \vec{J}, \quad F = |I - J|, |I - J| + 1, \dots, I + J \\ a &\propto \mu, \quad b \propto Q \end{split}$$



Free parameters for the fits: relative IS to the stable  $^{209}$ Bi ( $\delta v_{A,209}$ ), magnetic *hfs* constants ( $a_1$  and  $a_2$ ), electric quadrupole *hfs* constant ( $b_1$ )

The resolution of in-source RIS is limited by the Doppler broadening

$$\Delta \nu_{\rm D} = 7.16 \times 10^{-7} \nu_0 (T/A)^{1/2}$$

- $v_{o}$  frequency of the atomic transition,
- A atomic mass number,
- T ionization temperature

## IS608: nuclear moments

Nuclear magnetic moment  $\mu_{\rm A}$ :  $\mu_A = \mu_{209} \frac{I_A a_A (^4P_{1/2})}{I_{209} a_{209} (^4P_{1/2})} \left[1 + {}^{209}\Delta^A (^4P_{1/2})\right]$ 

 $^{209}\Delta^A(^4P_{1/2})$  - relative hyperfine anomaly (RHFA) for the indicated atomic state RHFA were estimated using data for heavier bismuth isotopes with the same spin and parity.

Spectroscopic quadrupole moment 
$$\mathbf{Q}_{s}$$
:  $\frac{Q_{s}(^{A}\mathrm{Bi})}{Q_{s}(^{209}\mathrm{Bi})} = \frac{b(^{A}\mathrm{Bi})}{b(^{209}\mathrm{Bi})}$ 

Independent  $Q_s$  measurements for <sup>209</sup>Bi made in the 1970s:  $Q_s = -0.37(3)$  b (muonic x ray),  $Q_s = -0.50(8)$  b (pionic x ray)

The alternative way is:
 ✓ to calculate the EFG
 ✓ to deduce Q<sub>s</sub>(<sup>209</sup>Bi) based on EFG and the measured b(<sup>209</sup>Bi)

$$b = eQ_s \times V$$

V - electric field gradient (EFG) produced by the electrons at the site of the nucleus

The complicated electronic structure makes accurate calculations for atomic bismuth a challenging problem

To overcome this longstanding discrepancy, we summarized the results of **33** atomic and molecular calculations for <sup>209</sup>Bi, either published in the last decade (2013-2021) or made specifically for this study. In these calculations a variety of advanced theoretical methods with various computational strategies were used by several independent groups on five continents.

"world average"  $Q_s(^{209}Bi) = -0.420(17) b$ 

### Nuclear Charge Radius and Isotope Shift (IS)



The isotope shift contains a contribution from the difference in the mean square charge radius between the two isotopes but it is not always an easy task to extract this information

For bismuth isotopic chain advanced atomic calculations should be used for determination of electronic factor F and for evolution of specific mass shift constant M<sup>SMS</sup>

## hfs spectra of the selected Bi isotopes



### Bi radii: 3 effects



## Relative radii: Comparison of TI, Pb and Po



## Relative Bi radii: Deviation from spherical trend (Pb)



## Bi & Hg: large shape staggering



By performing laser-spectroscopy studies of <sup>187–191</sup>Bi, we demonstrated a sharp radius increase for <sup>188</sup>Bi<sup>g</sup>, relative to the neighboring <sup>187,189</sup>Bi<sup>g</sup>.

Fifty years after discovery of shape-staggering in Hg, we have found only the second example of such an unusual behavior, now in the lightest Bi (Z = 83) isotopes with odd number of protons. This dramatic change happens at the same neutron number (N = 105), where the huge shape staggering started in the isotonic <sup>185</sup>Hg, and it has the same magnitude.

## Comparison of $\beta_Q$ and $\beta_{DM}$



In contrast to the mercury isotopes with spin 0 or 1/2 for which  $Qs \equiv 0$ , for <sup>188</sup>Bi<sup>9</sup> one can directly check deformation using the measured Qs value.

Deformation parameter  $\beta_Q$  extracted from  $Q_s$  coincides with  $\beta_{DM}$  from  $\delta < r^2 >$  and unambiguously testifies to the strong prolate deformation of <sup>188</sup>Bi<sup>g</sup>



## Large Shape Staggering in Neutron-Deficient Bi Isotopes



News > News > Topic: Physics

el,<sup>7</sup>

Voir en <u>français</u>

## Bismuth isotopes also alternate from spheres to rugby balls

The unusual nuclear physics phenomenon, first discovered at CERN's ISOLDE facility 50 years ago, had until now been seen only in mercury isotopes

18 NOVEMBER, 2021 | By Ana Lopes



The ultrasensitive set-up used by the ISOLDE team to study bismuth isotopes. (Image: CERN) Alternating from spheres to rugby balls is no longer the sole preserve of mercury isotopes, an international team at CERN's <u>ISOLDE</u> facility reports in a <u>paper</u> published in *Physical Review Letters*.

A.

HFB calculation



HFB PESs obtained by blocking the first  $9/2^-$  qp in odd-*A* bismuth isotopes (solid lines),  $10^-$  in even-*A* ones (dashed lines), and  $1^+$  in <sup>188</sup>Bi (squares).  $E_0$  is the minimal energy of the corresponding PES. For each PES, at least one of the minima has a magnetic moment compatible with experimental data. For  $9/2^-$  and  $10^-$  states it is a minimum at  $\beta \approx -0.07$ , whereas for  $1^+$  state in <sup>188</sup>Bi it is a minimum at  $\beta \approx +0.28$ .

### Bi: theory and experiment comparison



Shape staggering was successfully explained by HFB calculations, where the ground state is identified by the blocked quasiparticle configuration compatible with the observed spin, parity, and magnetic moment.

The departure from the trend for radii of Pb isotopes, found in light Bi's, was explained by invoking configuration mixing (CM) with states of different deformations.

CM for odd-A or odd-odd nuclei cannot currently be modeled microscopically. Only future beyond-mean-field calculations will be able to shed light on the exact impact of CM.

## Conclusions

- 1. Laser ion source is very efficient tool for nuclear investigations due to its possibility to get the isobarically clean radioactive isotope beams of a great number of chemical elements.
- 2. Hyperfine structure parameters and isotope shifts of Bi isotopes relative to <sup>209</sup>Bi for the 306.9-nm atomic transition were measured using the in-source resonance-ionization spectroscopy technique at IRIS (PNPI) and ISOLDE (CERN). The changes in the mean-square charge radius, magnetic dipole and electric quadrupole moments were deduced using advanced atomic and molecular calculations.
- 3. A large staggering in radii was found near <sup>188</sup>Bi<sup>9</sup>, along with the large isomer shift, at the same neutron number (N = 105), where the shape staggering starts and the similar isomer shift was observed in the mercury isotopes.
- 4. For the Bi nuclei the marked deviation from the isotopic trend of  $\delta < r^2 >$  in the lead isotopic chains has been demonstrated at N < 111. This deviation has been interpreted as an indication of the onset of quadrupole deformation.